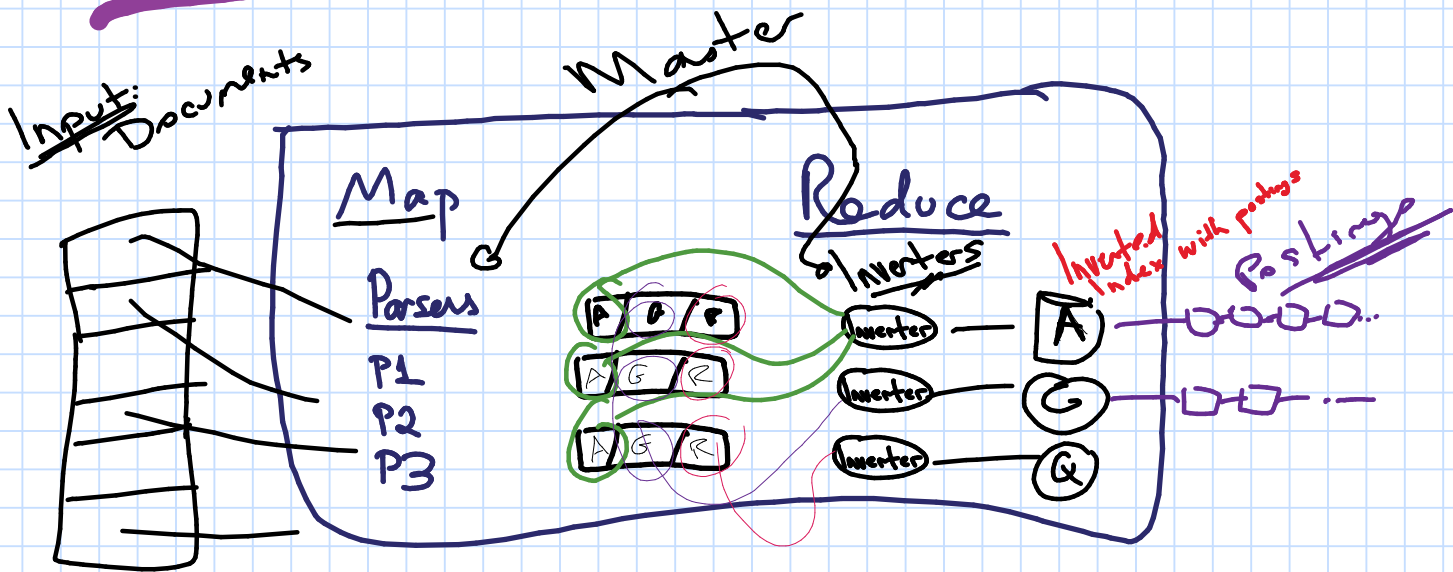
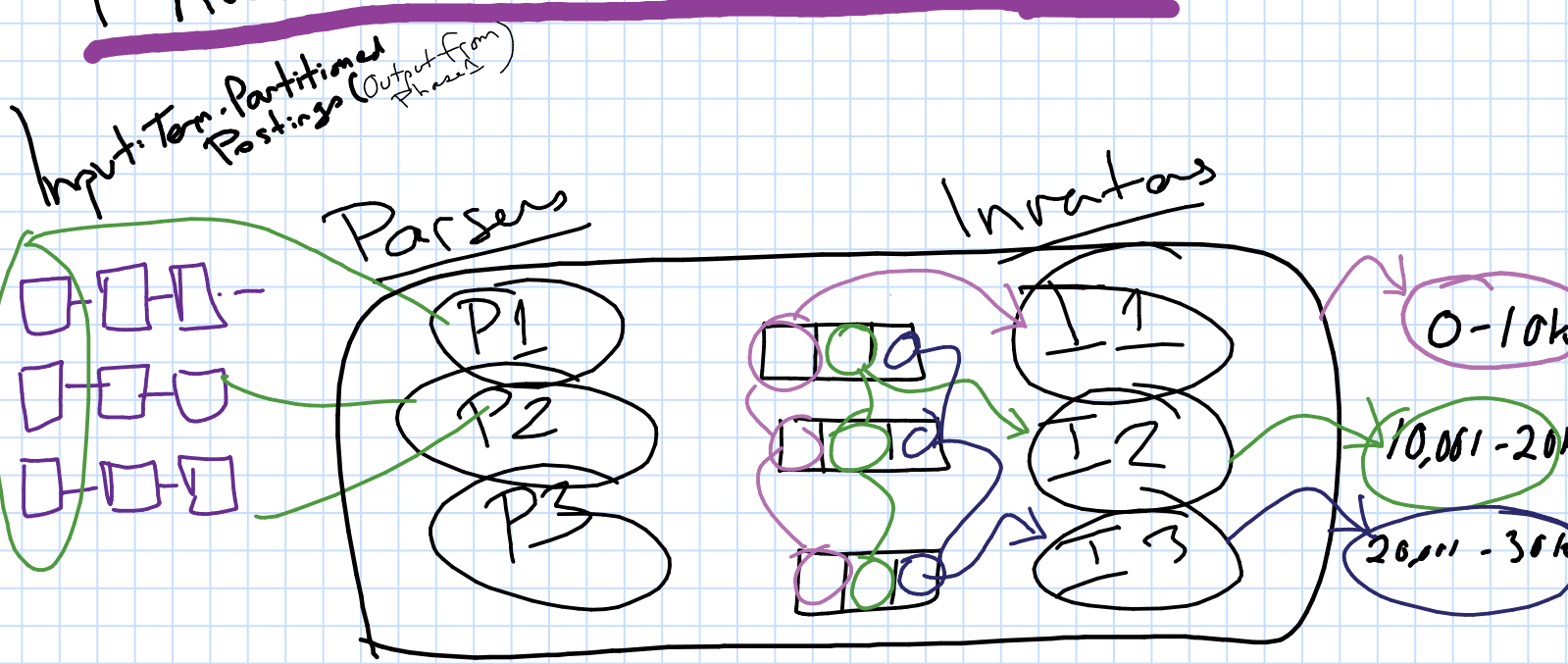


Distributed Index Generation (MAP-REDUCE)

Phase 1: Build the Term-Partition Index



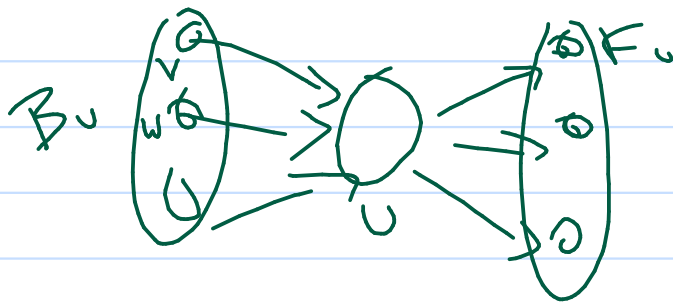
Phase 2: Build Document Partition Index



With Doc Partitioning, the entire query is sent to every node which ~~reduces~~ ^{alleviates} the doc list merging that takes place with Term-Partition indexes.

Nov 1 EXAM Result
Use IDF for Query Calculation

Nov 5 - Talked to Dr. D., the question indicated which formula to use
"do not normalize the query" means to leave it out of the Cosine Similarity formula altogether.

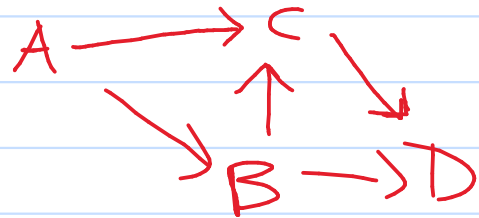


$$\frac{R(v) + R(w)}{4} + \frac{R(u)}{2}$$

Build an Adjacency Matrix

①

	A	B	C	D
A	0	1	1	0
B	0	0	1	1
C	0	0	0	1
D	0	0	0	0



P

0.25	0.25	0.25	0.25
------	------	------	------

Since D has no out links just assign the Prob. that they jump to any node.

$$Pr = \frac{1}{N} = \frac{1}{4} = 0.25$$

Then fill in the other rows based on link probabilities

0	.5	.5	0
0	0	.5	.5
0	0	0	1
.25	.25	.25	.25

Prob of user following a link

then... $P = (1-\alpha)P$ (for all but last row)

+ $(\alpha)(\frac{1}{N})$ (except last row b/c already calculated)

②

③ P.R.

$\vec{x}_0 = (1, 0, 0)$ ← can choose any starting vector.

$$\vec{x}_1 = (\vec{x}_0)(P) \\ = (.05, 0.45, .45)$$

$$\vec{x}_2 = \vec{x}_1 \cdot P$$

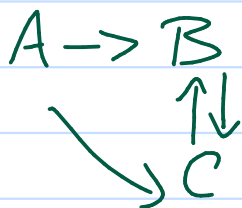
⋮

Until the Δ is very small. -- then we have P.R.

NOVIS

①

Adj Matrix



$$\begin{matrix} A \\ B \\ C \end{matrix} \begin{pmatrix} 0 & 1 & 1 \\ 0 & 0 & 1 \\ 0 & 1 & 0 \end{pmatrix}$$

① Page Rank

- all have outlinks!, unlike last class's example

$$Pr = 1 / \text{sum}(1's)$$

$$\begin{pmatrix} 0 & 1/2 & 1/2 \\ 0 & 0 & 1 \\ 0 & 1 & 0 \end{pmatrix}$$

← Pr of user following a link

$$\alpha, \text{ say, } 0.1 \Rightarrow \begin{pmatrix} 0 & .45 & .45 \\ 0 & 0 & .9 \\ 0 & .9 & 0 \end{pmatrix}$$

So P. 0.9

Cont'd...

Pr of teleport: $\rightarrow 1/3$

$$\begin{aligned} &Pr(\text{link}) + (1-\alpha)1/3 \\ &= \begin{pmatrix} .03 & .48 & .48 \\ .03 & .03 & .93 \\ .03 & .93 & .03 \end{pmatrix} \end{aligned}$$

Finally, choose \vec{X}_0

$$\vec{X}_0 = (1, 0, 0)$$

$$\begin{aligned} \vec{X}_1 &= \vec{X}_0 \cdot P \\ \vec{X}_2 &= \vec{X}_1 \cdot P \\ &\vdots \end{aligned}$$

Until convergence

or after so many steps.

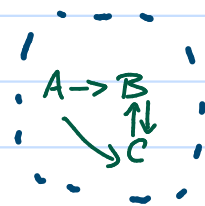
HITS Algorithm

Need Hub score & auth score!

1. Initial vectors:

$$\vec{h}_0 = (1, 1, 1)$$

$$\vec{a}_0 = (1, 1, 1)$$



2. Check in-/links.

A has none \rightarrow

$$\begin{aligned} \vec{a}_1 &= (0, (1+1), (1+1)) \\ &= (0, 2, 2) \end{aligned}$$

B+C have 2 in-Links

Normalise: \rightarrow Make so that the MAX value is 1

$$a_1 = (0, 1, 1) \quad [0, 2/2, 2/2]$$

divide by largest

Hub Score: Sum of Auth. Score:

$$h_1 = (2, 1, 1)$$

Sum of outbound nodes' auth scores

$$h_1 = (1, .5, .5)$$

Normal

$a_2 = (0, 1, 1)$ - converged, so stop.

* authority score subsequently is sum of inbound hub scores.

Nov 19/13

Recommender Sys Cont'd

Movies

	m_1	m_2	m_3	...
Alice	3	2	5	
Bob	4	5	2	
C	\emptyset	3	4	
:				

Recommended movies to users
or users to movies } diff results!

empty set \rightarrow hasn't seen

Content-based

Utility $u(c, s)$;

$$u(c, s_i) \mid s_i \in S$$

Similar \swarrow

User \vec{w}_c - of w_{ck} ... keywords ... Need to determine these!
 avg rating of...

Content \vec{w}_s

Bob: (.9, .4, .2, 0, .3, .9)

(Profit) directors animator drama

Need to do Normalization

Predict Rating for "UP"

MTD: $(4+5)/2 = 4.5 \rightarrow$ Normalized $\rightarrow 0.9$

$2/5 \rightarrow 0.4$ } [1]
 $1/5 \rightarrow 0.2$ } [2]

Up: (0, 0, 0, 1, 1, 0)

Sim (Bob, Up)

$= 0.3 \times 1 = 0.3$

Dark Knight = (1, 0, 0, 0, 0, 1)

User-based CF

Alice avg (3, 2, 5, 4) = 3.5 } only commonly
Bob avg (4, 5, 2, 1) = 3 } rated

$$\begin{matrix} m_1 & m_2 & m_3 \\ (2-3.5)(4-3) + (2-3.5)(5-3) + \dots & = & -6 \end{matrix}$$

↑ A's rating ↑ A's avg

$$\frac{-6}{\sqrt{\sum \text{common}^2}} \rightarrow \text{always } -1 \text{ to } 1$$

∴ = -0.85

highest is best!

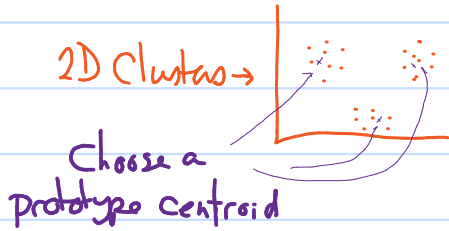
Pearson Coefficient formula

$$\text{Rating}_{\text{BOB}_{\text{UP}}} = 1 / \left(\sum (\text{high similarity})_{\text{People}} * \sum (\text{sim Person} / \text{sim Person Rating}) \right)$$

Item-based

Nov 22/13

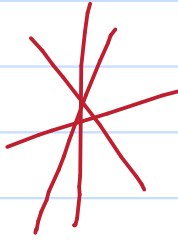
Clustering



K-mean

$$\vec{\mu}(c) = \frac{1}{|c|} \sum_{\vec{x} \in c} \vec{x}$$

- Select k docs^{or} randomly as centroids



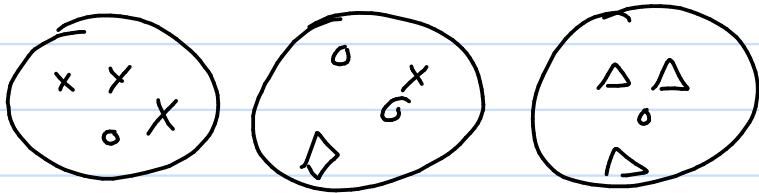
Hierarchical

- at the bottom level, every object in its own cluster; same at the top.



Initial centroid selection affects the resulting clusters.

Purity Ex



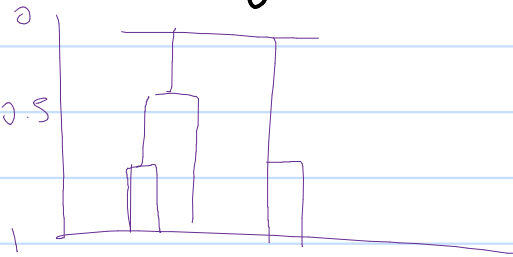
$$\text{Purity} = \frac{\sum (\text{majority items in each circle})}{N}$$

$$\text{Rand Index} = \frac{TP + TN}{TP + FP + FN + TN}$$

HAC

- Repeatedly joins two clusters until there is only 1.

- A Dendrogram



Sim



3 - cent. (4)

4. Avg (6 links)

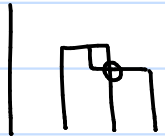
Single Link Clustering — find closest cluster by measuring from inner side of clusters.

- dist betw. clusters is closest pairs

- group closest things repeatedly

- results in undesirable long chains

Complete Link - measure from outer edge
 - Longest dist - better balance; instead of having lots of clusters with only 1 item
 - downside: outliers screw up the grouping

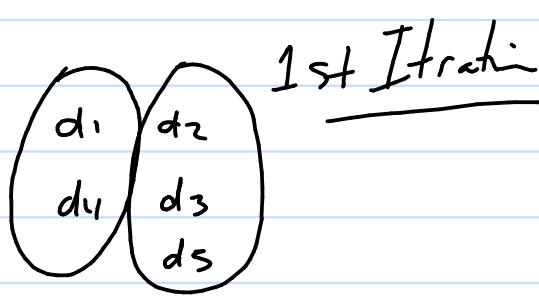
Inversion in Dendrogram  ← don't use centroid HAC for this reason

Q3 HW

	T1	T2	T3
D1	1.0	0.9	0.4
⋮	⋮	⋮	⋮
D5	⋮	⋮	⋮

K-Means first

1) $k=2$; centroids $d1, d2$
 decide the rest; which cluster...
 $d3: d_{1,3} = (\text{inner product}) 1.0 + 0.9 + 0.4 = 2.3$
 $d_{2,3} = 0.8$ (d2) ✓
 $d4: d_{1,4} = .9$ ✓ (d1)
 $d_{2,4} = .3$
 $d5: d_{1,5} = 0.6; d_{2,5} = 0.98$ (d2)

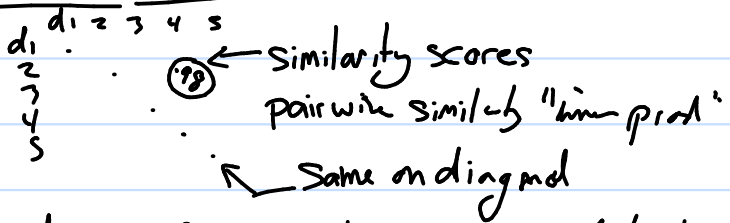


2) Now calc new centroids
 $C_1 = \text{avg}(d1, d4) = (0, 0.95, 0.2)$
 $C_2 = \dots (0.83, 0.23, 0.37)$

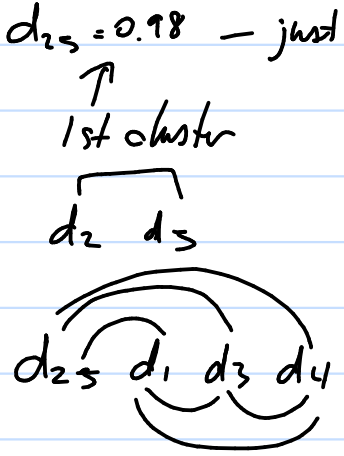
Calc distances again:
 $d_{1,C_1} = ((.9)(.95) + 0.08) = .935 ?$
 $d_{1,C_2} = (.9)(.23) + (.4)(.3) = 0.3 ?$ (smaller)
 do calcs for the rest of the docs to put in either C_1 or C_2

don't include the centroid in subsequent iterations.

HAC EX!



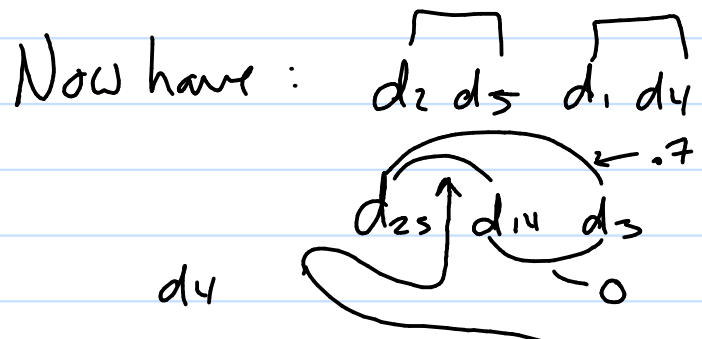
Find \rightarrow after Midterm, focus on WebSearch.



$Sim(d_1, d_{25}) = ? \rightarrow$ use Complete Link
 \rightarrow furthest
 \rightarrow Least similar!
 \rightarrow smaller $\rightarrow 0.47$

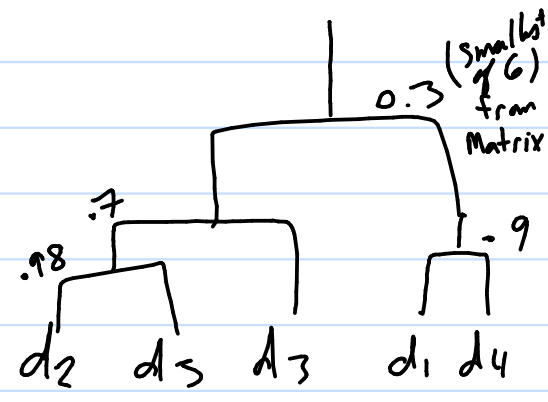
$d_3, d_{25} = 0.7$
 $d_4, d_{25} = 0.3$

Then find most similar to cluster $\rightarrow d_1 + d_4$ (b/c 0.9)



	d_1	d_4
d_2	.47	.3
d_5	.6	.4

} pick lowest $\rightarrow 0.3$



Can calc top-most score too $\rightarrow 0.3$

For Single Link; still start at d_{25} (0.98), but now choose highest scores.

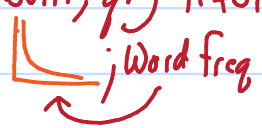
Exam

"Item-Based" CF; same as assignment (the values anyway)

- avg of items rather than users.
- basically the vector will be in column instead of rows
- Finds most similar ITEMS instead of people.

- Know K-means + hierarchical

Review

- Lectures offer MID.
- UI \rightarrow qry in; qry result; qry reformulation
- Docs + Queries \rightarrow Zipf ; Word freq.

Compression:

- Decompression speed is most important!

Query Intent (Broder): navigational, informational, transactional

(NB) Web Search ("Focus on this")

1. Web Search Basics

(NB)

Key differences: hits, query, content, users, docs, spam, advertisements

- how to estimate index size
- " " detect near duplicates
- ranking signals \rightarrow ① Content ② Lth (PR) ③ Usage [clicks]

2. Crawler

- Must have features: robust, politeness | Should-have: efficient, etc
- Crawl process: seed set \rightarrow fetch \rightarrow parse \rightarrow extract links + text, dupl. check \rightarrow URL frontier
- Scheduling

Architecture ("Mercator")

3. Link Analysis \Rightarrow PR, Hits

Recommender

- Content-based, collab. filtering
 - memorize films
 - know limitations of each

Clustering

② Recalc centroids

K-means: ① Initial seeds ② Iterate till objective function is optimized

Hierarchical Aggl. Clust. (HAC)

- group repeatedly till only 1 cluster.
 - Single link (measure from near side)
 - Complete (measure from far side)
- Evaluation - ext criteria -> purity, rand. index.